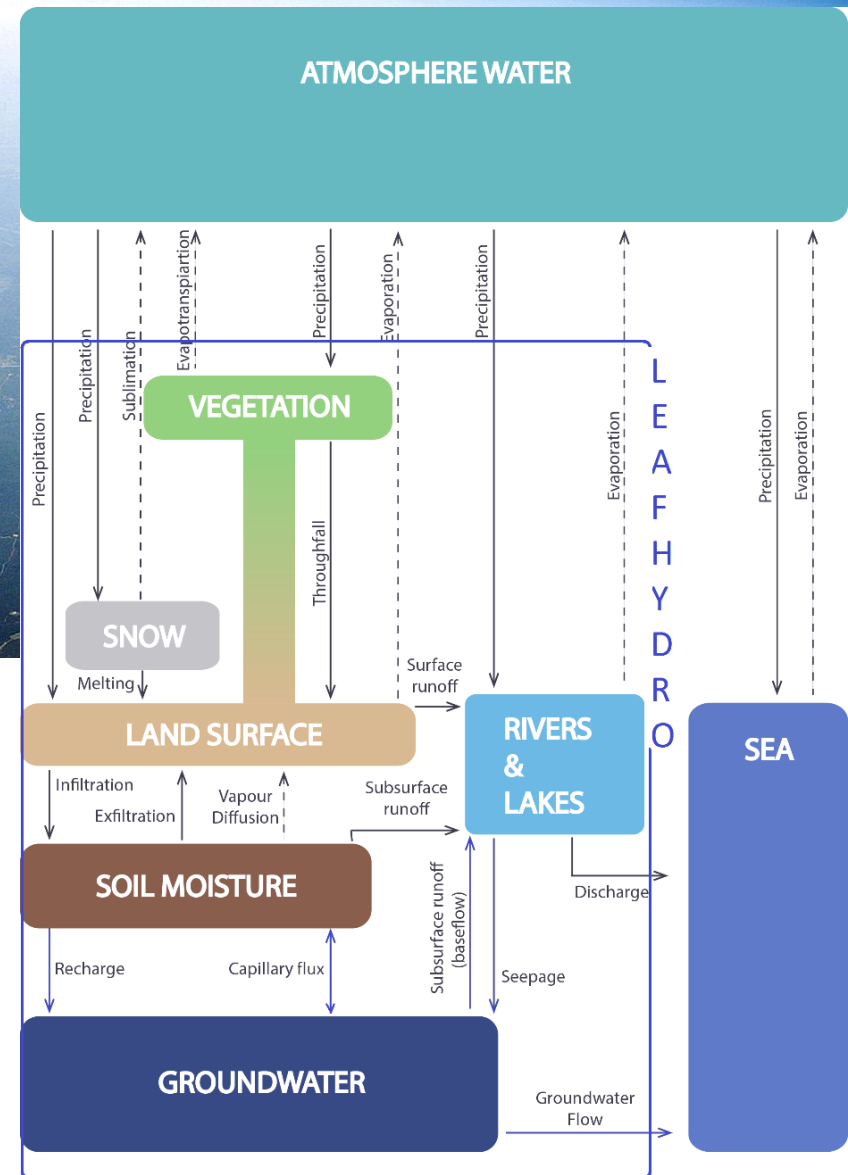


Groundwater interactions with the land surface fluxes. Introduction of a Dynamic GroundWater Scheme into the JULES LSM



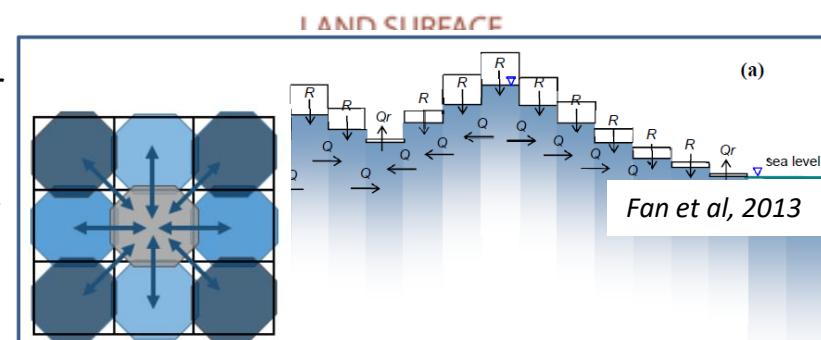
Alberto Martínez-de la Torre (UKCEH),
Sarah Collins (BGS),
Andrew Hughes (BGS)

Dynamic Groundwater Scheme

The LEAFHYDRO dynamic groundwater scheme was first presented in *Fan et al. (2007)* and *Miguez-Macho et al. (2007)*. Initial condition EWTd calculated as the long-term balance between vertical recharge (P-E-Qr) and the topographically driven lateral flow (Fan et al., 2007, 2013). Dynamical behaviour of the groundwater reservoir and its interactions with the land-atmosphere system:

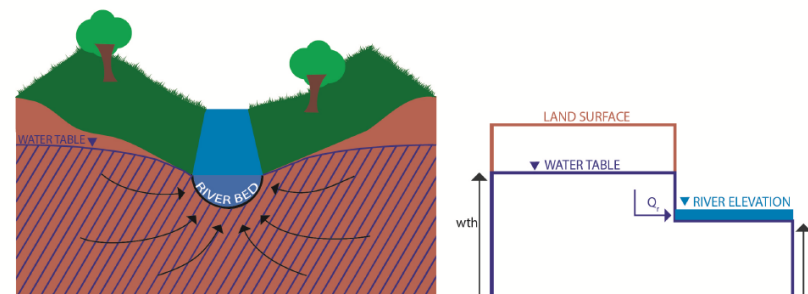
- **Groundwater recharge:** Water flux between the groundwater reservoir and the soil. Depending on the soil wetness and the atmosphere demands, the recharge can be downwards, causing the water table to rise, or upwards, causing the water table to deepen.
- **Lateral groundwater flow:** Water flux to or from neighbour cells within the saturated groundwater reservoir. This flux is governed by topography and the water table head elevation in the cells.
- **Groundwater-river flow:** It can occur as groundwater discharge (subsurface runoff) into the streams when the water table head is above the river bed, maintaining the streams baseflow, or as river infiltration to the groundwater reservoir when the water table head is below the river bed.

$$\frac{dS_G}{dt} = \Delta x \Delta y R + \sum_{n=1}^8 Q_n - Q_r$$



Aquifer hydraulic conductivity can either...
decrease exponentially with depth (as in LeafHydro)

or remain constant with depth (as in most groundwater models)

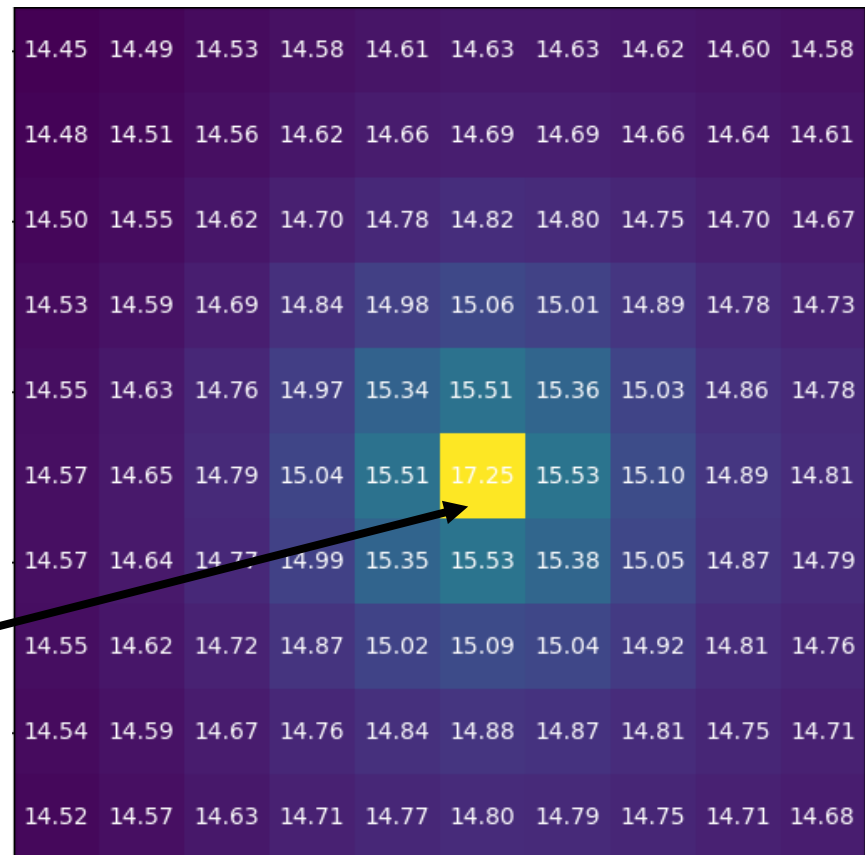


Abstraction

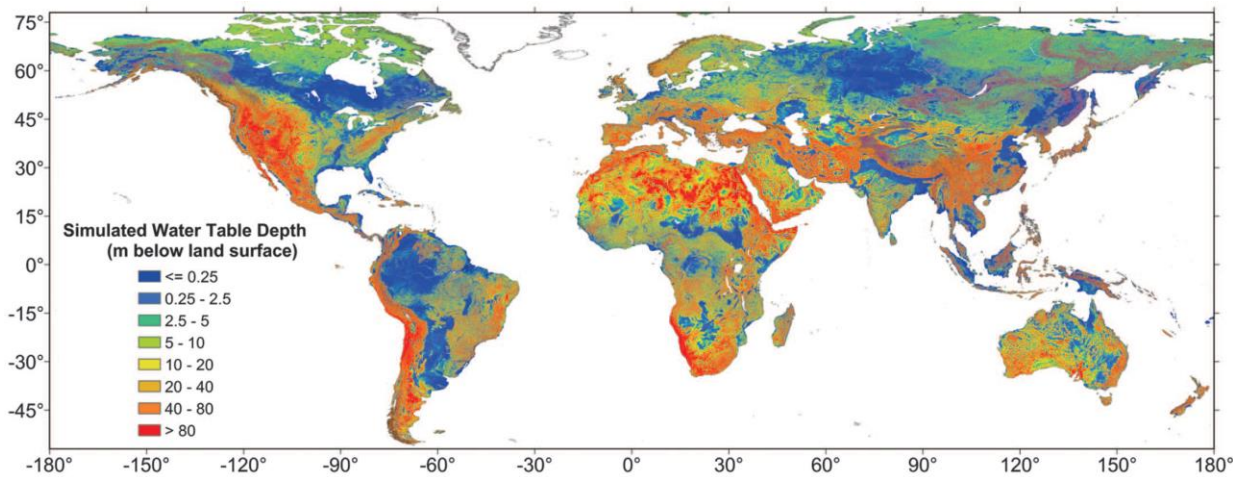
Groundwater pumping can be introduced as prescribed data (i.e. time dependent)
New development by BGS

Drawdown from extraction well

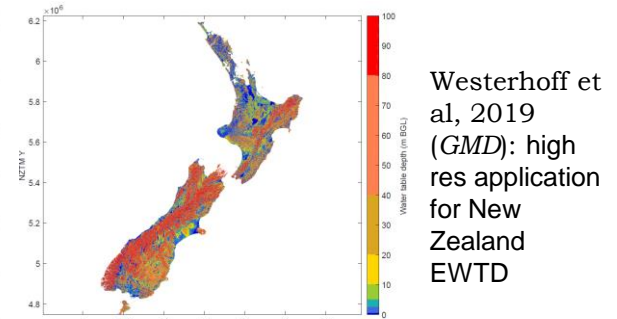
Depth to groundwater (m)



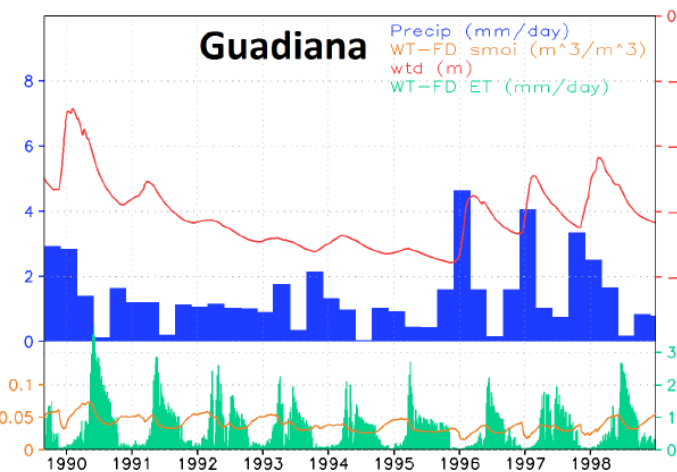
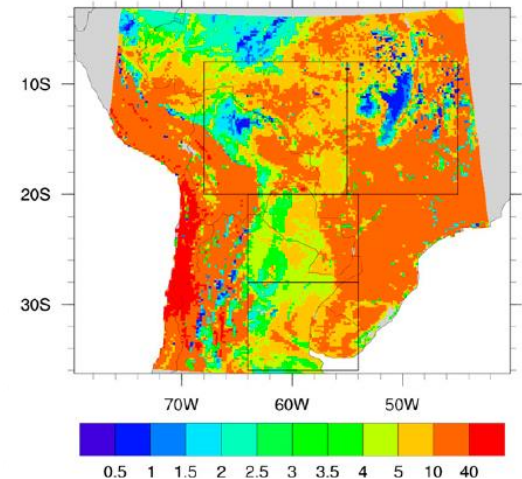
Applications (out of HJ)



Fan et al, 2013 (*Science*): global patterns at ~1km resolution

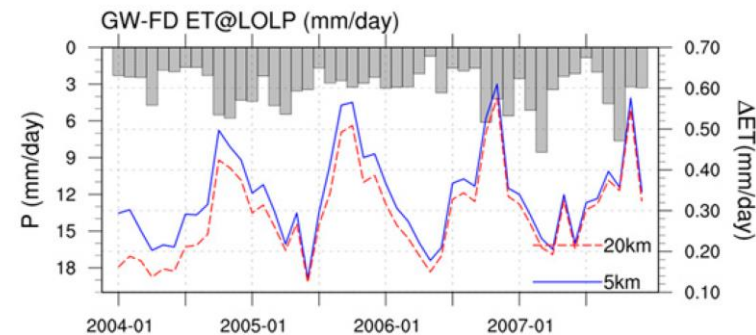
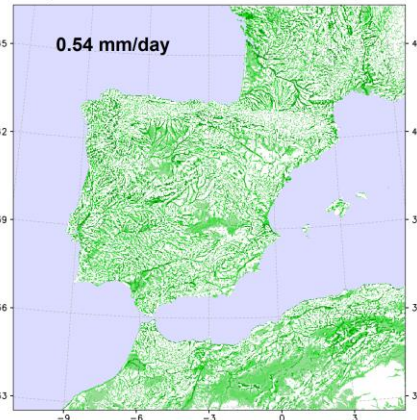


GW-20km ZWT(m): 2005-04



Martínez-de la Torre and Miguez-Macho, 2019 (*HESS*): full LEAFHYDRO integration over IP at 2.5 km resolution
<https://hess.copernicus.org/articles/23/4909/2019/hess-23-4909-2019.html>

Daily WT-FD ET difference (mm) JJA



Martínez, 2016 (*Journal of Hydrometeorology*): full integration with the DGW scheme into Noah-MP over Southern SA at 5/20km resolution

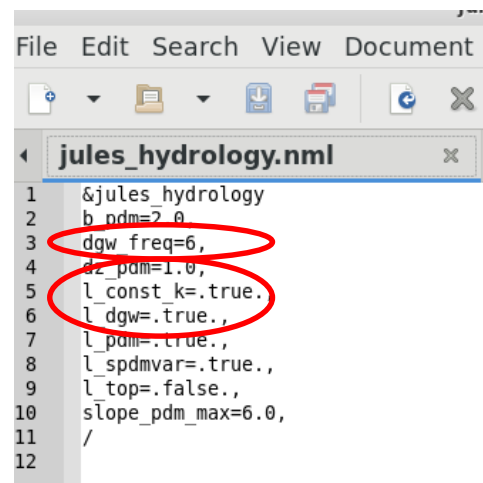
Implementation into JULES

Opened ticket #532 to implement the Dynamic GroundWater scheme from LEAFHYDRO in JULES.

Branch:

https://code.metoffice.gov.uk/trac/jules/browser/main/branches/dev/albertomartinez/vn5.2_dgw_leafhydro_bgs

- New flag **l_dgw** to activate the scheme, new flag **l_const_k** and new variable **dgw_freq** in jules_hydrology.nml

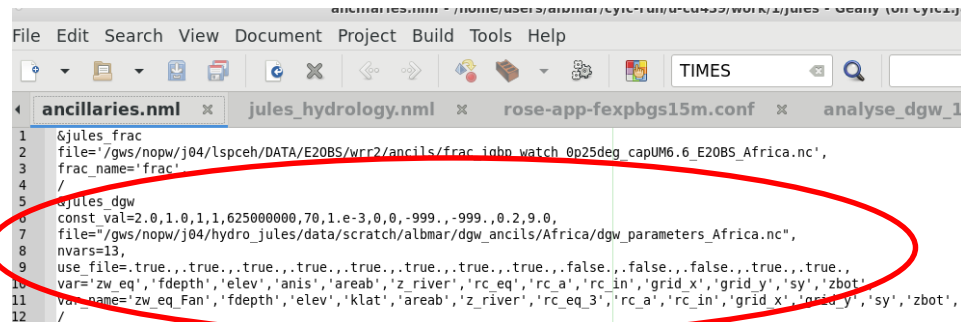


A screenshot of a code editor showing the file `jules_hydrology.nml`. The code is as follows:

```
1 &jules_hydrology
2 b_pdm=2.0
3 dgw_freq=6,
4 dz_pdm=1.0,
5 l_const_k=.true.
6 l_dgw=.true.,
7 l_pdm=.true.,
8 l_spdmvar=.true.,
9 l_top=.false.,
10 slope_pdm_max=6.0,
11 /
12
```

Red circles highlight the lines `dgw_freq=6,`, `l_const_k=.true.`, and `l_dgw=.true.,`.

- Read in **zw_eq_gb**, **fdepth_gb** and other ancillary datasets from a gridded file or as constant values in a new namelist **jules_dgw** in the ancillaries.nml file



A screenshot of a code editor showing the file `ancillaries.nml`. The code is as follows:

```
1 &jules_frac
2 file='/gws/nopw/j04/lspceh/DATA/E20BS/wrr2/ancils/frac_inhp_watch_0p25deg_capUM6.6_E20BS_Africa.nc',
3 frac_name='frac'
4 /
5 &jules_dgw
6 const_val=2.0,1.0,1.1,625000000,70,1.e-3,0.0,-999.,-999.,0.2,9.0,
7 file='/gws/nopw/j04/hydro_jules/data/scratch/albmar/dgw_ancils/Africa/dgw_parameters_Africa.nc',
8 nvars=13,
9 use_file=.true.,.true.,.true.,.true.,.true.,.true.,.true.,.true.,.true.,.false.,.false.,.false.,.true.,.true.,
10 var='zw_eq','fdepth','elev','anis','areab','z_river','rc_eq','rc_a','rc_in','grid_x','grid_y','sy','zbot',
11 var_name='zw_eq_Fan','fdepth','elev','klat','areab','z_river','rc_eq_3','rc_a','rc_in','grid_x','grid_y','sy','zbot',
12 /
```

A red circle highlights the entire `&jules_dgw` namelist block from line 5 to line 12.

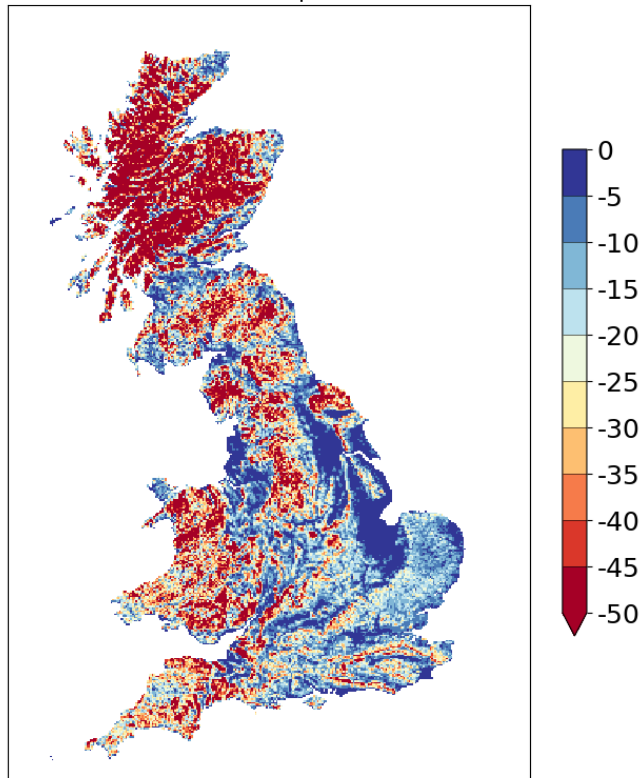
- Added **zwd**, **gwrech**, **qlat** to possible **outputs**

Working with Doug Clark (UCKCEH) to improve the code and make it to the trunk (already in v6.3)

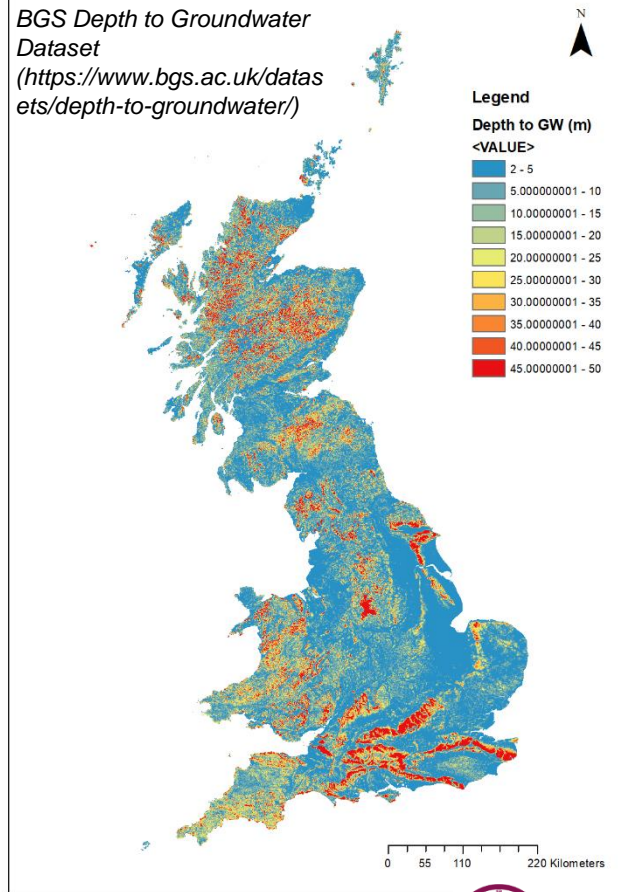
First regional test (REP project)

- Improved hydrology for Regional Environment Prediction (MetOffice)
- Rose suite: <https://code.metoffice.gov.uk/trac/roses-u/browser/c/k/0/8/5>
- Closed collaboration with BGS colleagues to provide ancillaries datasets
- 2007-2012 6-years simulations over GB

Mean Water table depth [m], WT run



BGS Depth to Groundwater Dataset
(<https://www.bgs.ac.uk/datasets/depth-to-groundwater/>)

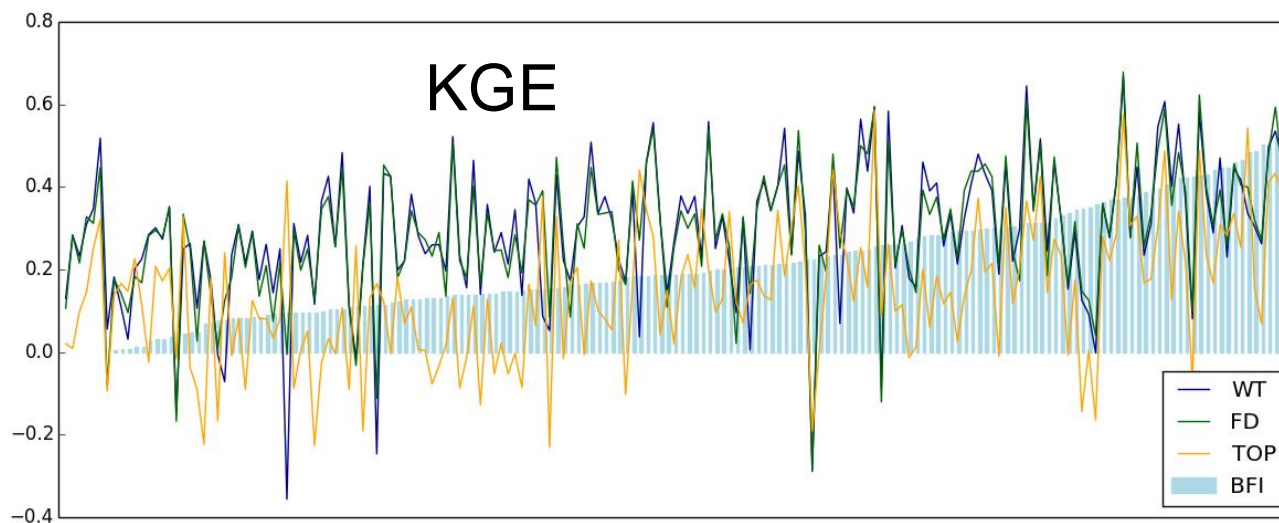
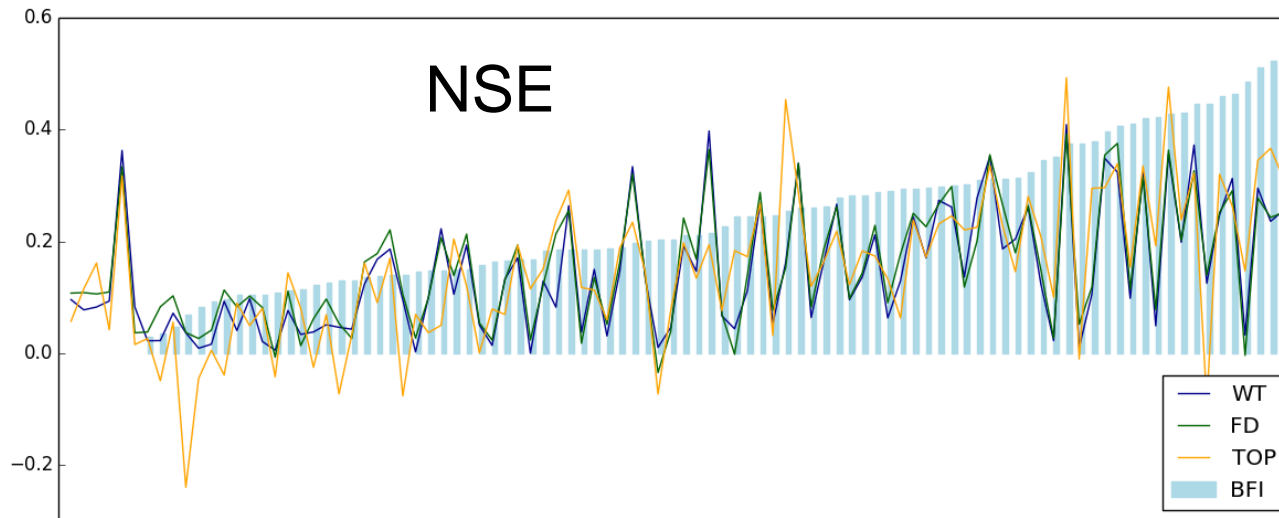


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British
Geological Survey
NATURAL ENVIRONMENT RESEARCH COUNCIL

REP project: River flow metrics



Africa instance: HydroJULES task 4.2

- Rose suite: <https://code.metoffice.gov.uk/trac/roses-u/browser/c/d/4/3/9>
- Closed collaboration with BGS colleagues to provide ancillaries datasets
- 2000-2015 15-years simulations at 0.25deg resolution
- Drivers from earthH2Observe (WFDI + MSWEP)

Mean Water table depth [m], WT run

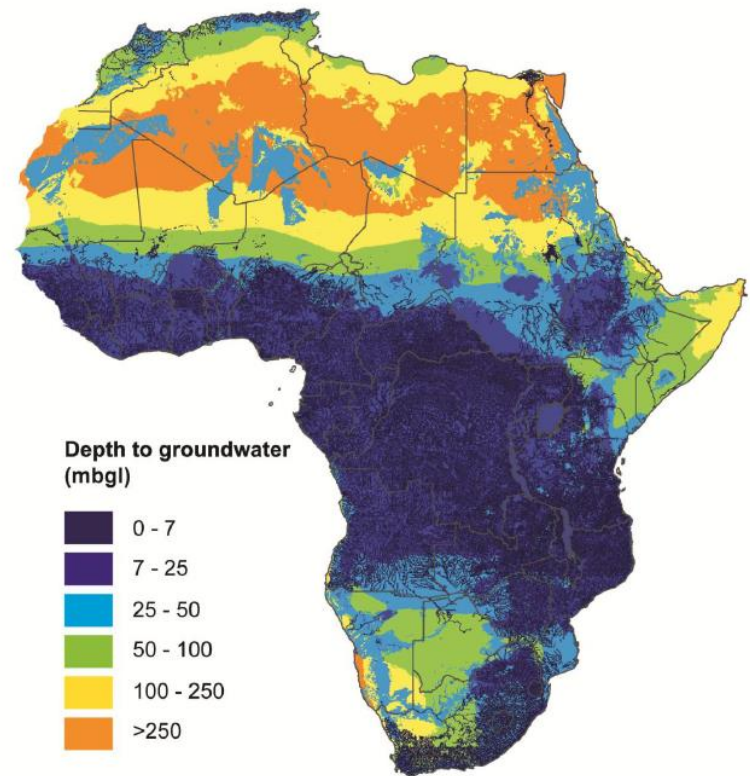
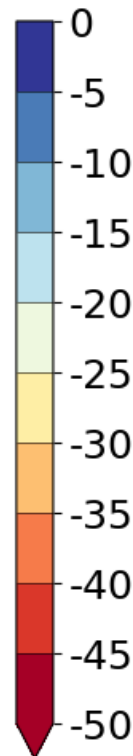
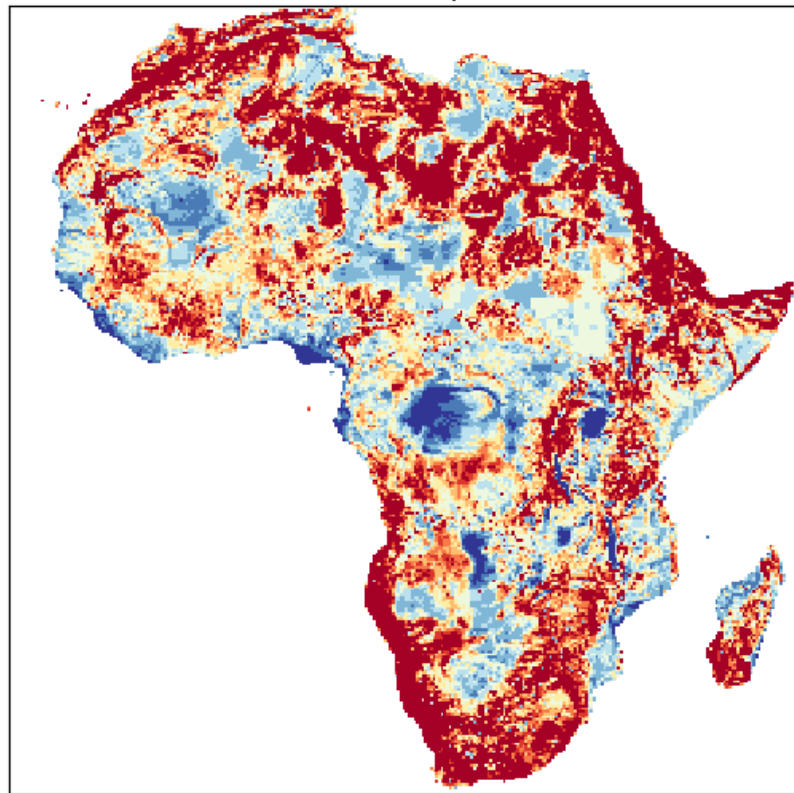
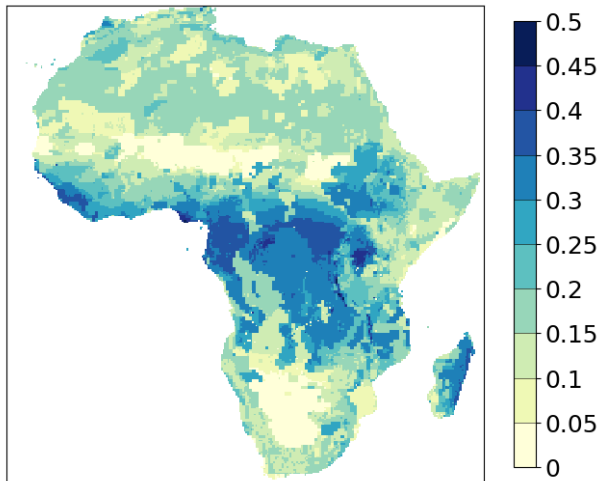


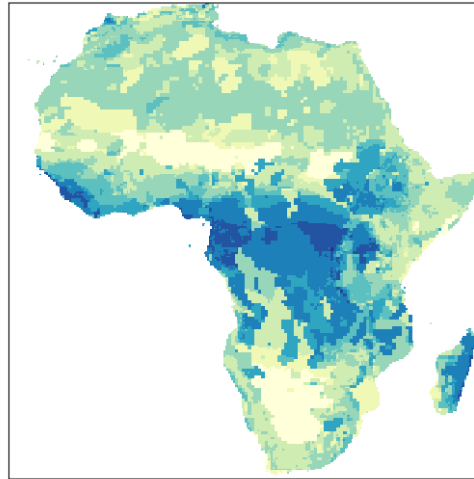
Fig. 4 – An initial estimate of depth to groundwater in Africa.

Africa instance: HydroJULES task 4.2

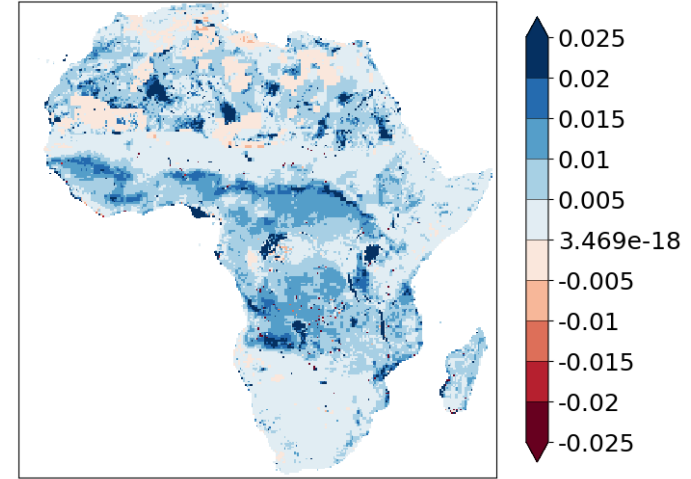
Mean Soil Moisture [$\text{m}^{-3} \text{m}^{-3}$], WT run



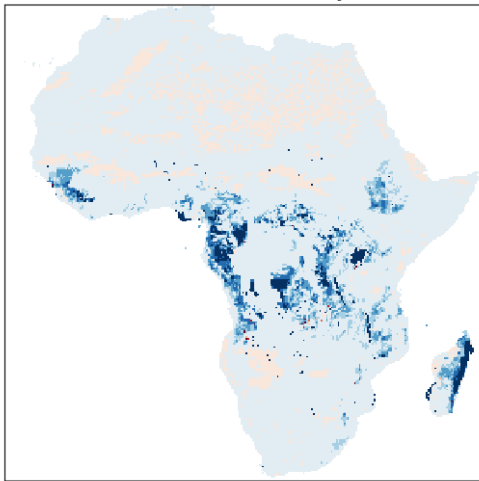
Mean Soil Moisture [$\text{m}^{-3} \text{m}^{-3}$], FD run



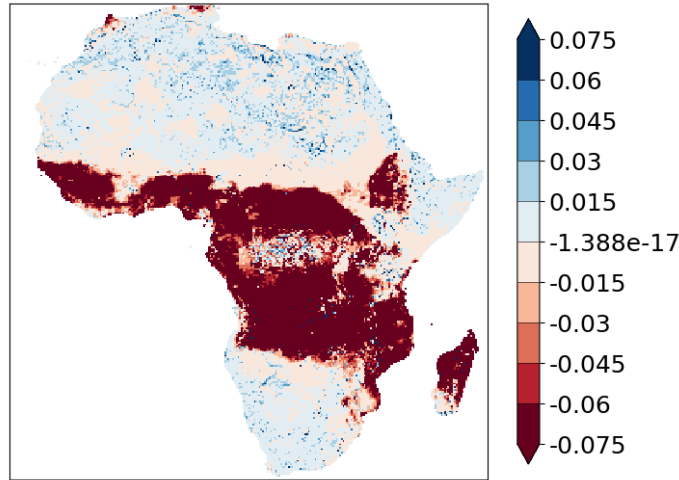
Mean Soil Moisture [$\text{m}^{-3} \text{m}^{-3}$], WT-FD



Mean Surface Runoff [mm day^{-1}], WT-FD



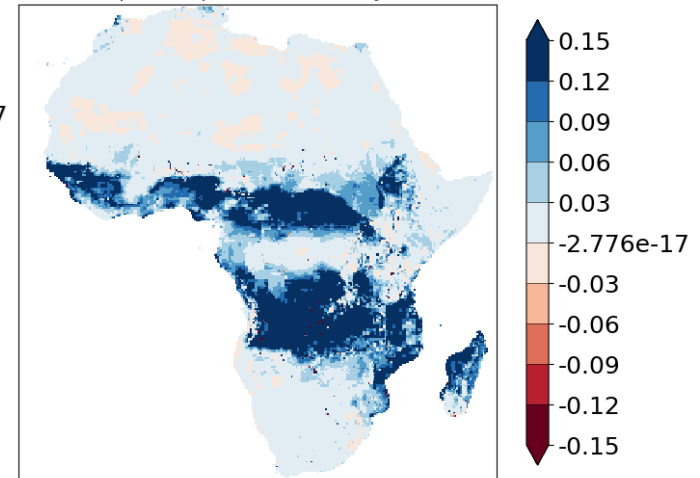
Mean Subsurface Runoff [mm day^{-1}], WT-FD



wetter soil



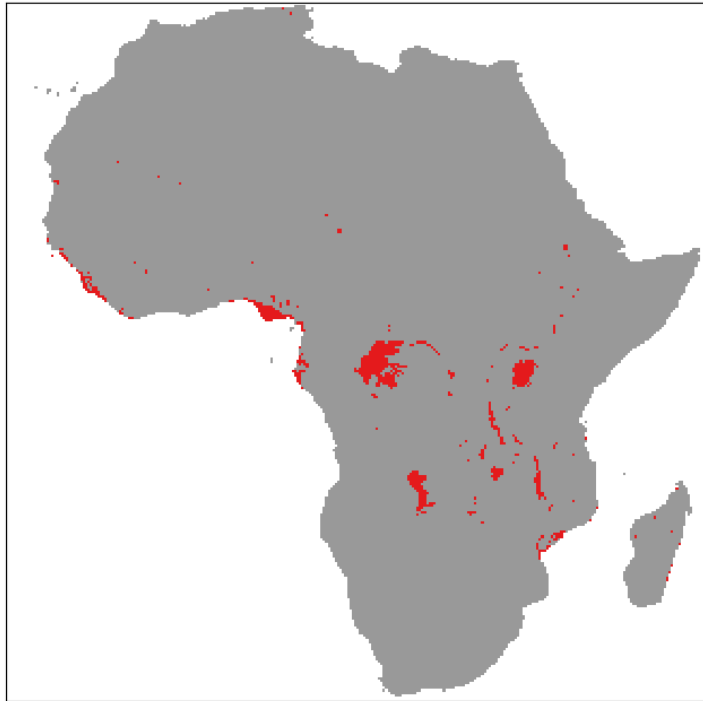
Mean Evapotranspiration [mm day^{-1}], WT-FD



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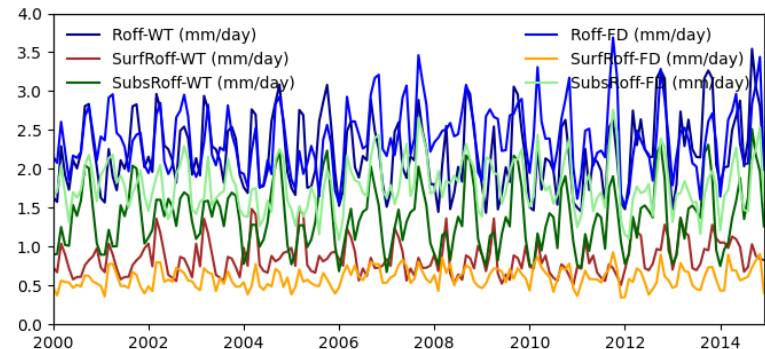
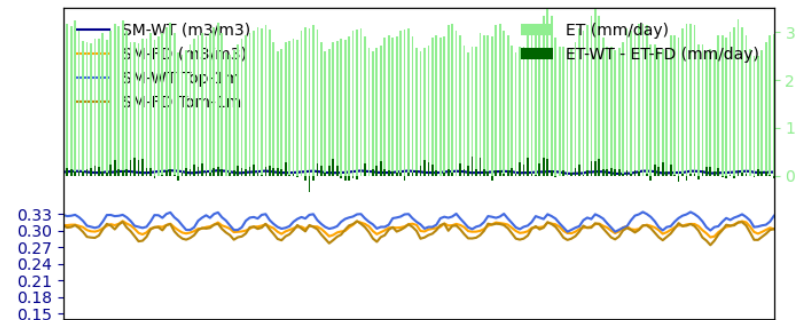
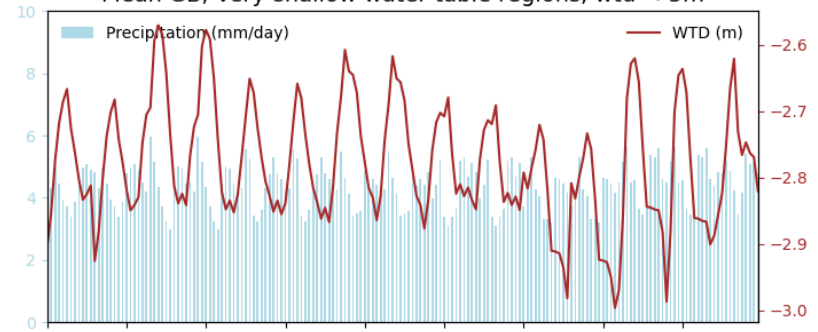
Africa instance: HydroJULES task 4.2

Regions of Very-shallow Water Tables



wtd < 5m, 2%

Mean GB, Very-shallow water table regions, wtd < 5m



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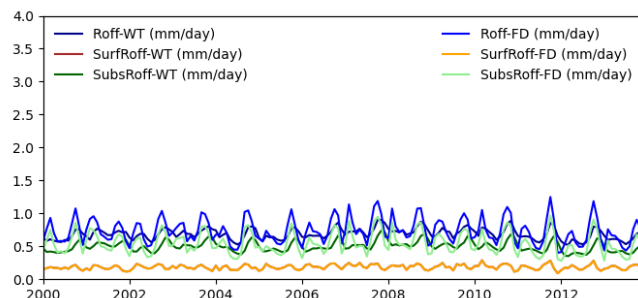
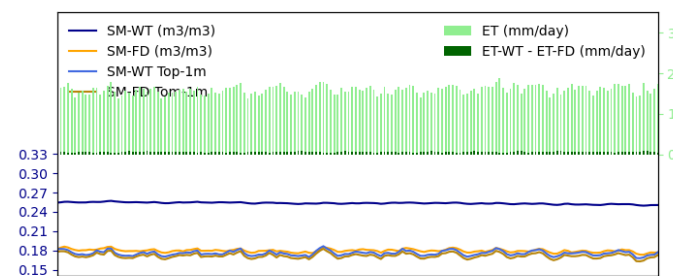
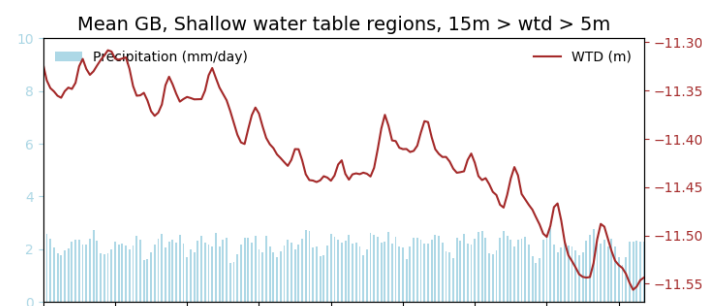
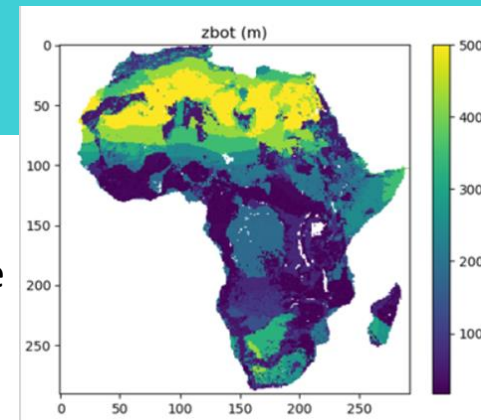
Summary and future work

We have presented the first continental scale simulations using JULES-DGW.

- The initial results showed here are encouraging, with the DGW scheme connecting groundwater to the JULES surface hydrology over a large part of the domain.
- Groundwater is maintaining baseflow.
- Wetter soil results in altered ET fluxes.

Next steps:

- Validation of the position and time evolution of the modelled water table depth using observations from BGS data (collaboration with TerraFIRMA project).
- Further study of seasonal variations in different catchments.
- Study the impact and behaviour of the lateral flows of groundwater.
- Assess the impact of different configurations (ZBOT).
- Validate the river runoff outputs using river flow observations.
- Validation of changes in ET shown here using in situ measurements from flux towers or continental scale ET estimations.



THANKS

albmar@ceh.ac.uk



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Groundwater Recharge (within resolved soil layers)

- Assume equilibrium (no vertical flux) between saturated portion of layer 1 and saturated layer 2

$$\frac{\partial(\Psi + Z)}{\partial Z} = 0 \longrightarrow \Psi_1 - \Psi_2 = Z_2 - Z_1$$

- Applying Brooks & Corey $\Psi = \Psi_f \left(\frac{\eta_f}{\eta} \right)^b$ and provided that layer 2 is saturated

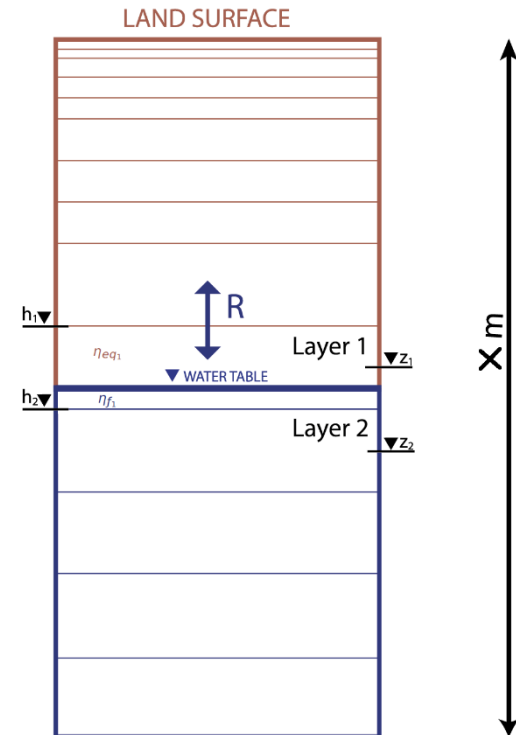
$$\eta_{eq1} = \eta_{f1} \left(\frac{\Psi_{f1}}{\Psi_{f2} + Z_2 - Z_1} \right)^{1/b_1}$$

- Now distributing evenly the soil moisture in layer 1 from the soil fluxes subroutine

$$\eta_1 = \eta_{eq1} \left(\frac{h_1 - wtd}{h_1 - h_2} \right) + \eta_{f1} \left(\frac{wtd - h_2}{h_1 - h_2} \right)$$

$$wtd = \frac{\eta_{f1} h_2 - \eta_{eq1} h_1 + \eta_1 (h_1 - h_2)}{\eta_{f1} - \eta_{eq1}}$$

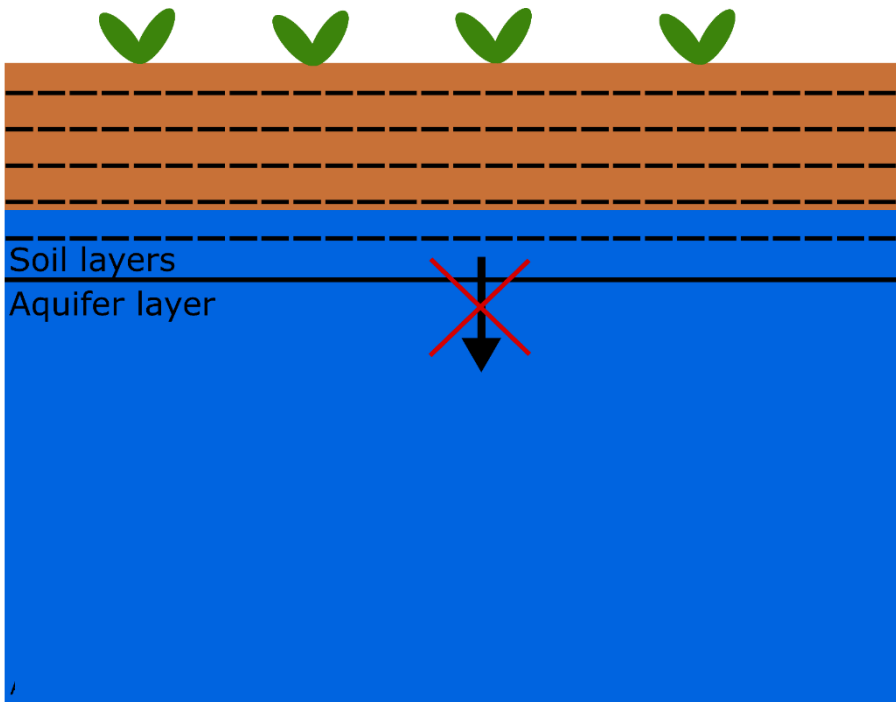
- Move the water table Δwtd from the previous position, and calculate the recharge as the water needed to fill or drain the pore space between saturation and present equilibrium water content in the unsaturated portion of the layer after the water table movement



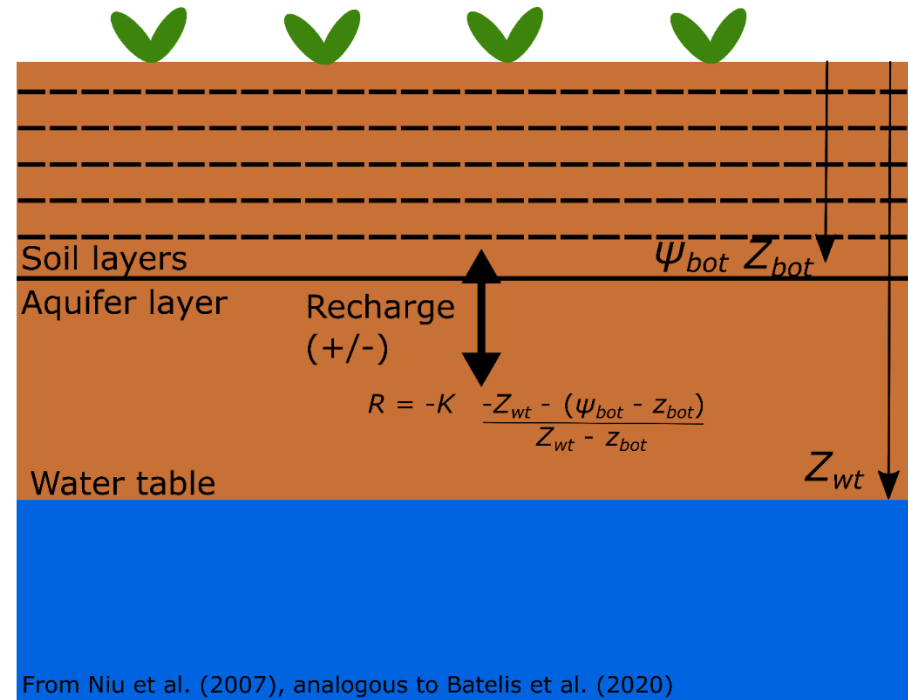
$$R = \Delta wtd (\eta_{f1} - \eta_{eq1})$$

Groundwater Recharge

Water table within soil layers



Water table below soil layers



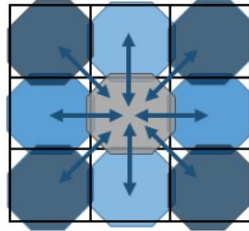
From Niu et al. (2007), analogous to Batelis et al. (2020)

From Niu et al. (2007), not in the original LEAFHYDRO, recently introduced by BGS

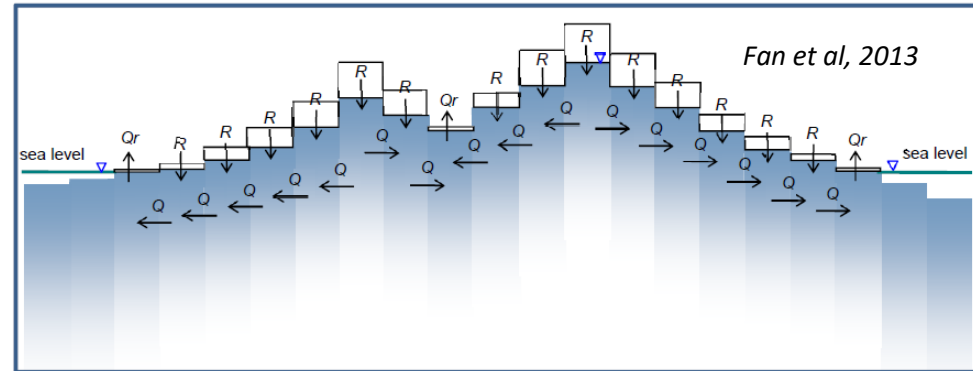
Groundwater Lateral flow

- Lateral flow from the nth neighbour applying Darcy's law

$$Q_n = cT \left(\frac{wtd_n - wtd}{l} \right)$$



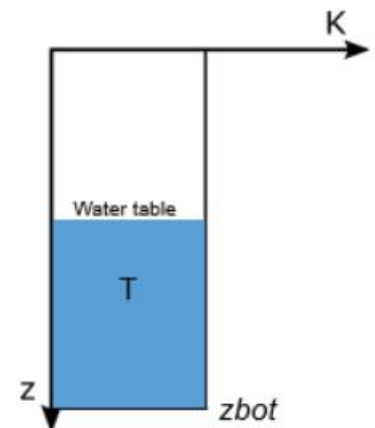
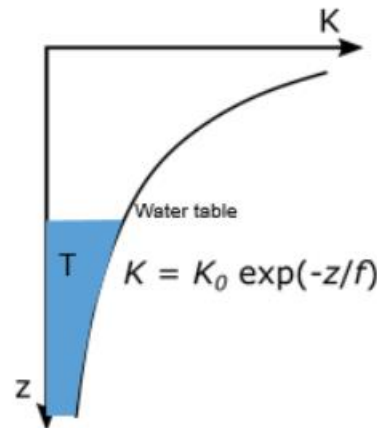
- Flow transmissivity $T = \int_{-wtd}^{\infty} K_{L_f} dz'$
- The model uses the anisotropy ratio $\alpha = K_{Lsat} / K_{Vsat}$ and exponential decrease with depth for K_{Vsat}



Aquifer hydraulic conductivity can either...

decrease exponentially with depth (as in LeafHydro)

or remain constant with depth (as in most groundwater models)



We can use an estimation of the bottom of the aquifer as a parameter if we have it

New development by BGS

Groundwater-river flow

- Gaining streams, applying Darcy's law

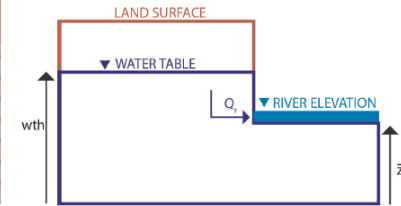
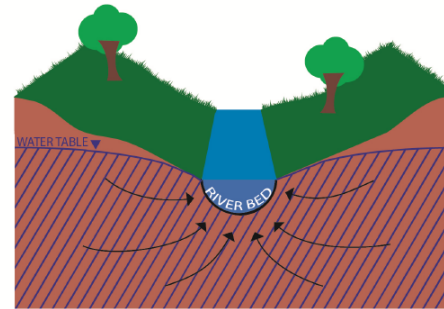
$$Q_r = \left(\frac{\bar{K}_{rb}}{\bar{b}_{rb}} \right) (\bar{w}_r \sum L_r) (wth - \bar{z}_r)$$

- Define river conductance $\rightarrow RC = \frac{\bar{K}_{rb} \bar{w}_r \sum L_r}{\bar{b}_{rb}}$
- RC parametrized as $RC = ERC \cdot F(wtd - ewtd)$
- The ERC represent the long-term hydraulic connection rivers-groundwater in a cell, so in an equilibrium situation:

$$Q_r = \Delta x \Delta y R + \sum_{n=1}^8 Q_n \rightarrow ERC = \frac{\Delta x \Delta y R_{lt} + \sum_{n=1}^8 Q_n}{ewtd - \bar{z}_r}$$

- Losing streams, b_{rb} and the distance between riverbed and water table cancel each other:

$$Q_r = -K_{rb} \bar{w}_r \sum L_r$$



- $F(wtd - ewtd)$ represents the RC deviation from equilibrium as a response to the channels expansions and contractions caused by seasonal hydrological changes

$$F(wtd - ewtd) = \exp[a(wtd - ewtd)]$$

where $a = 0$ in steep terrain, and $a = 1$ where the terrain slope β satisfies $\beta < 0.2$

